Free Set on Weird (or Super) Geometry: Maps to Taxonomizations & Asymmetry Cravings

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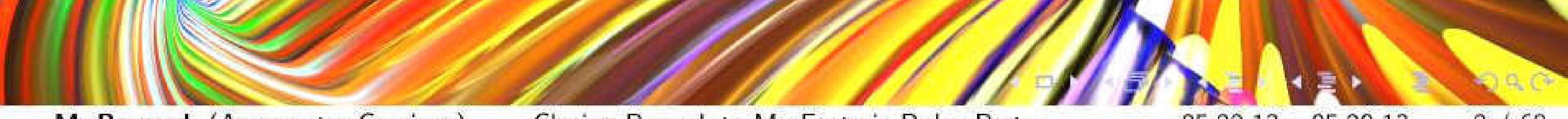
Joke: Oh! No gosh-awful (naked diva vodka) shots as no one here expects! :)

Millennium Hilton New York, NY

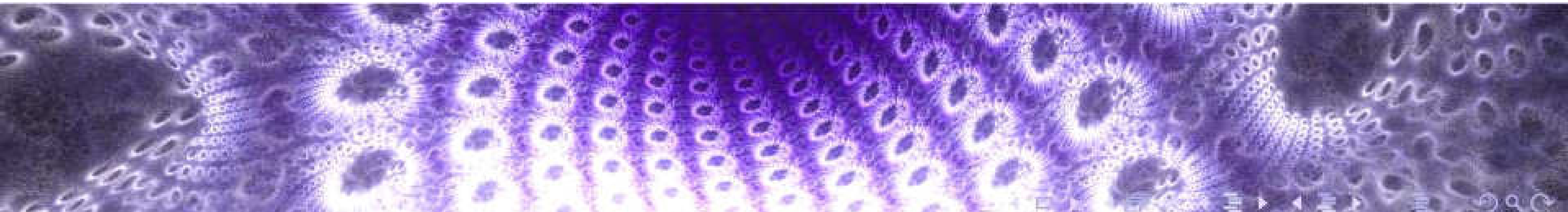
05.22.13 – 05.29.13

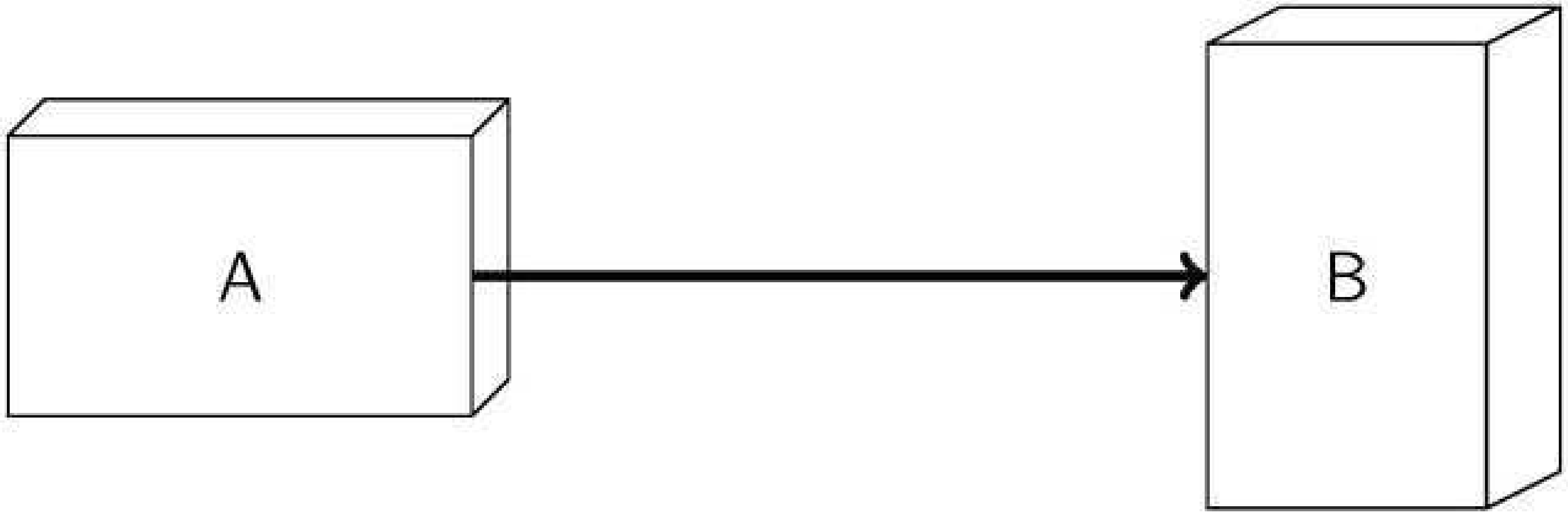
Universe's utopic reality! $\sim$ our core value, impalpable, asymmetrical monsters stacking! Free! Be monarchs over hermeneutics, alchemists, man-made mind-warps & World Government! By conquest or consent :-)



The Philosophy of this stuff,

almost surely, leaves any open stuff open!

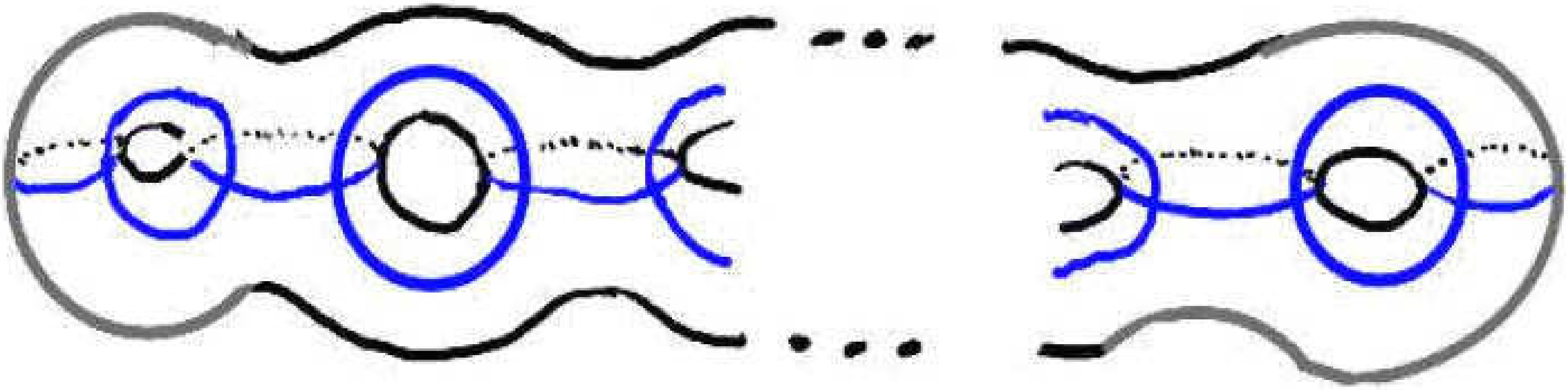




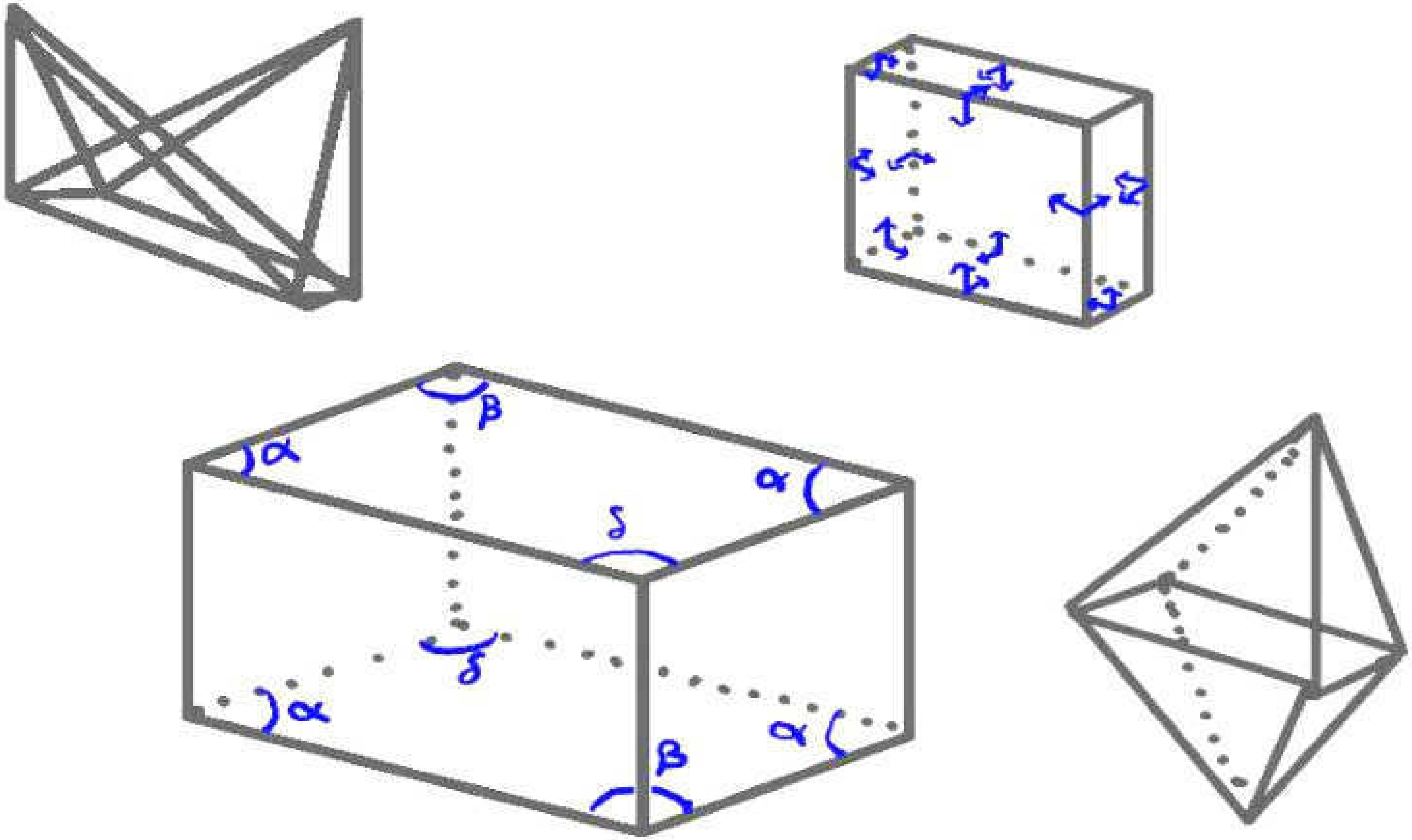
Ah, but wait! Not so fast! This manipulation, I think is wrong! We are only looking for an open set <u>within</u> the set of geometric blah blah!

(And, any geometric blah blah has to satisfy the above relations, so nothing is lost!)

Okidoki now, in finding a geometric blah blah for the genus of polyhedron w/ 6g-6 degree of freedom and as much freedom as possible, we anticipate a relation for each "lens"

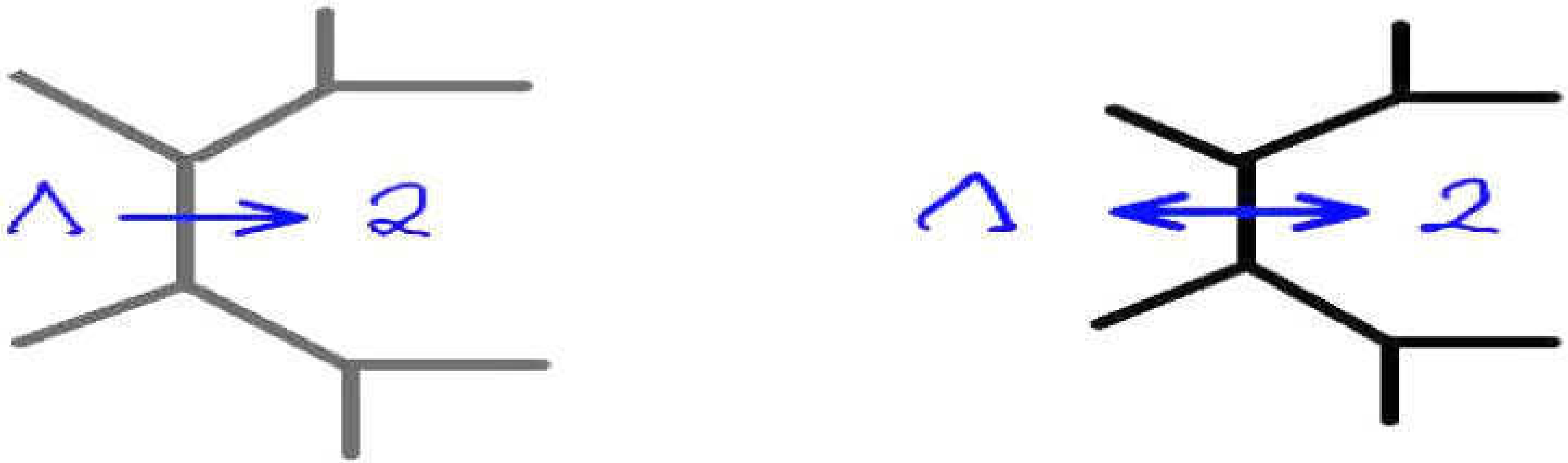


i.e., 6g-5 relations, leaving one degree off & maybe, terribly: Another one degree for fitting things up in the end; that would mean that they are indeed generally rigid in their "edge-$O(n)$-tus" ♡



O.K.: Finish the combinatorial stuff & start scripting while working other geometric stuff? (Hmm, not yet!)

When we change one arrow

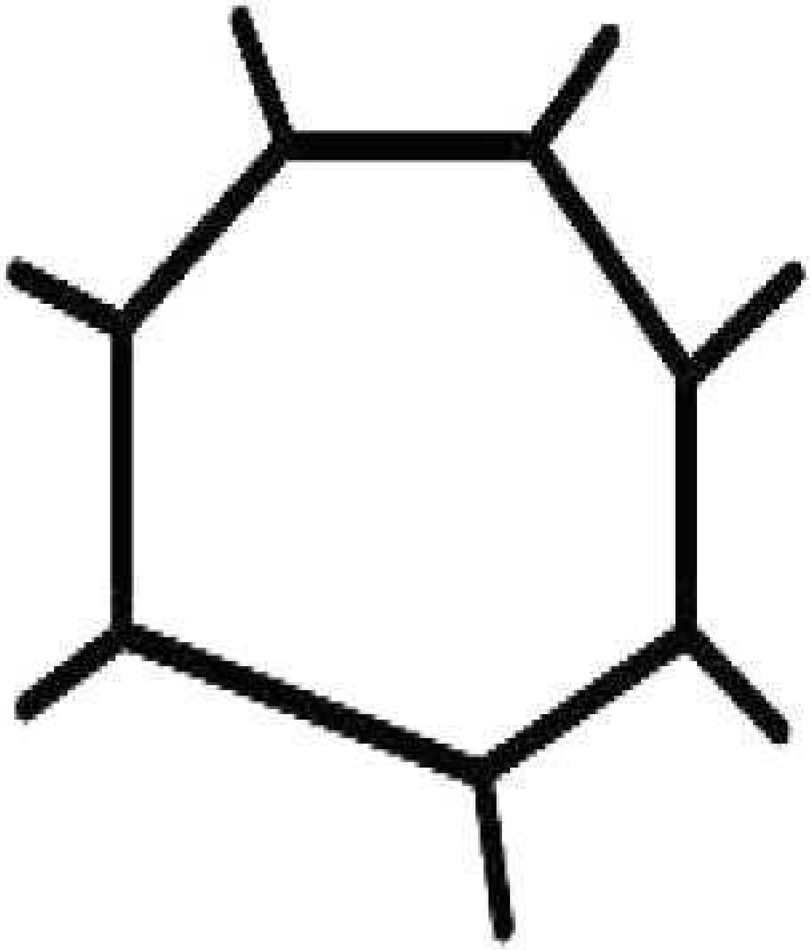


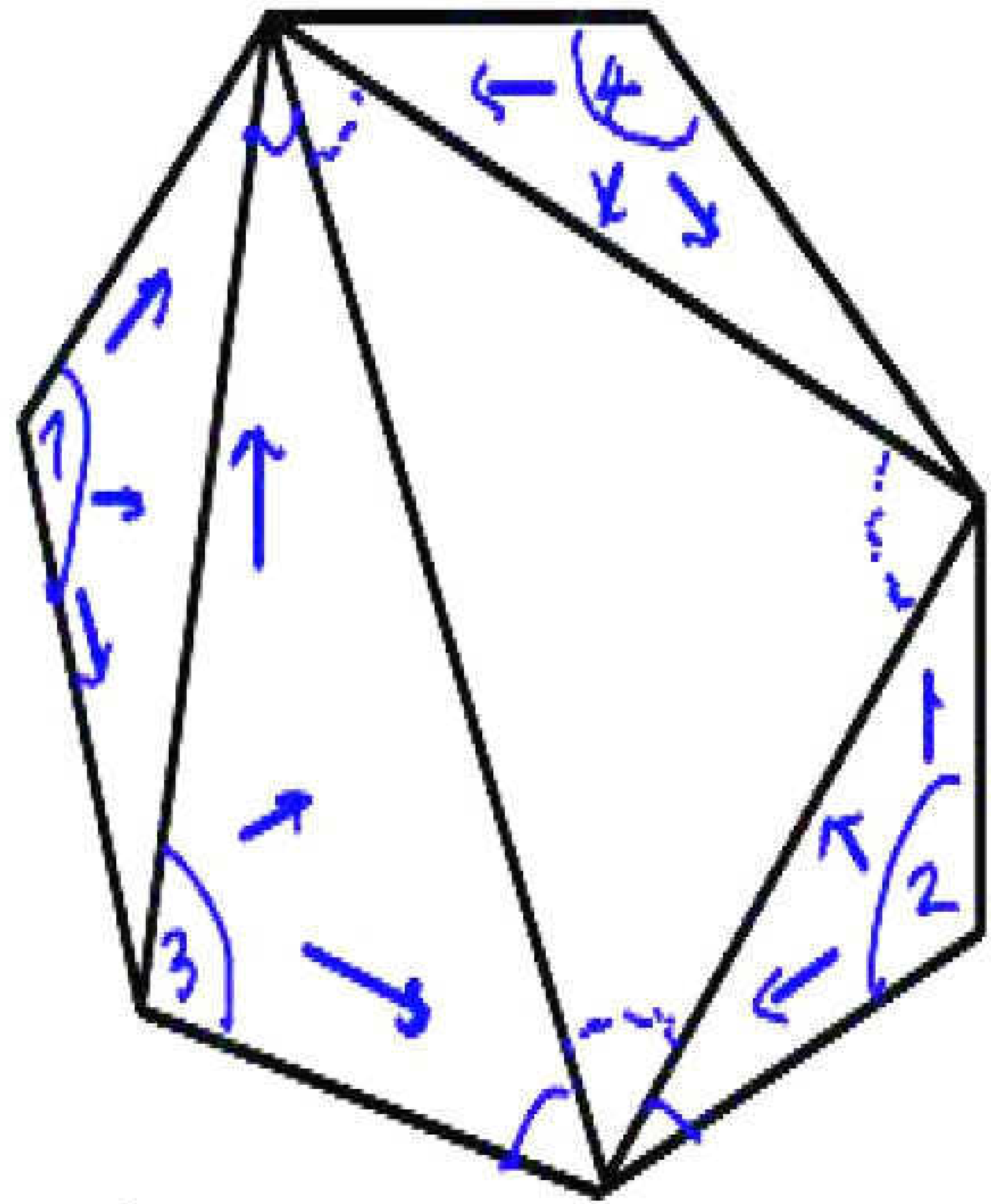
Suppose on LHS, every face had 3 outward pointers; then, on RHS, every face has 2 to 1 obstruction, and face 2 suddenly has 4 to Λ degree of freedom. So, hey presto! Solved #2!

<u>Now</u> claim: Every genus g trivalent closed connected graph has 6g-6 free edges. Then, $V - E + F = 2g - 2$

The other way around, $2V = 3E \to V = \frac{3}{2}E$

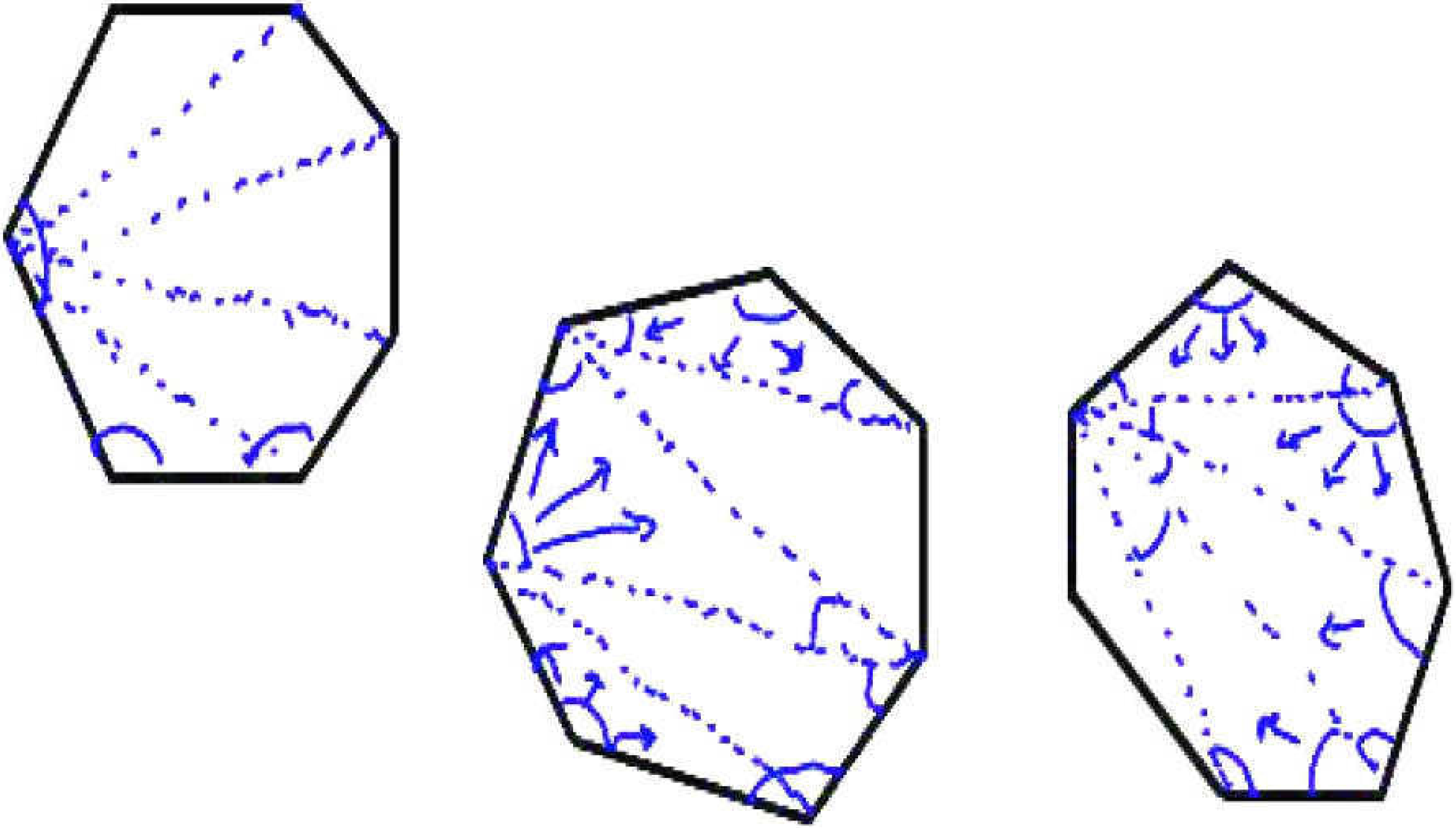
$\to \frac{3}{2}E - E + F = \frac{1}{2}E + F = 2g - 2$

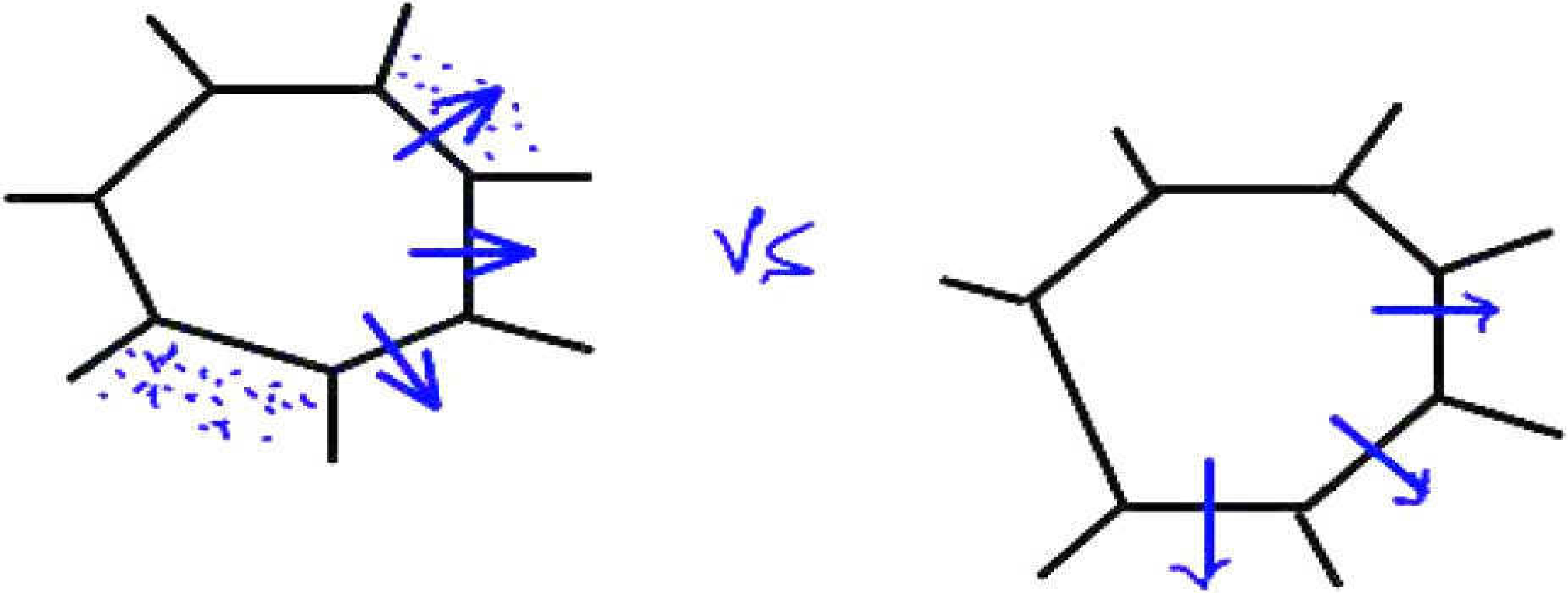




O.K., now that changes a lot (& makes our life easier)

Actually, we might want to review this whole coloring business:





affects (a priori) 2 faces, or is there some

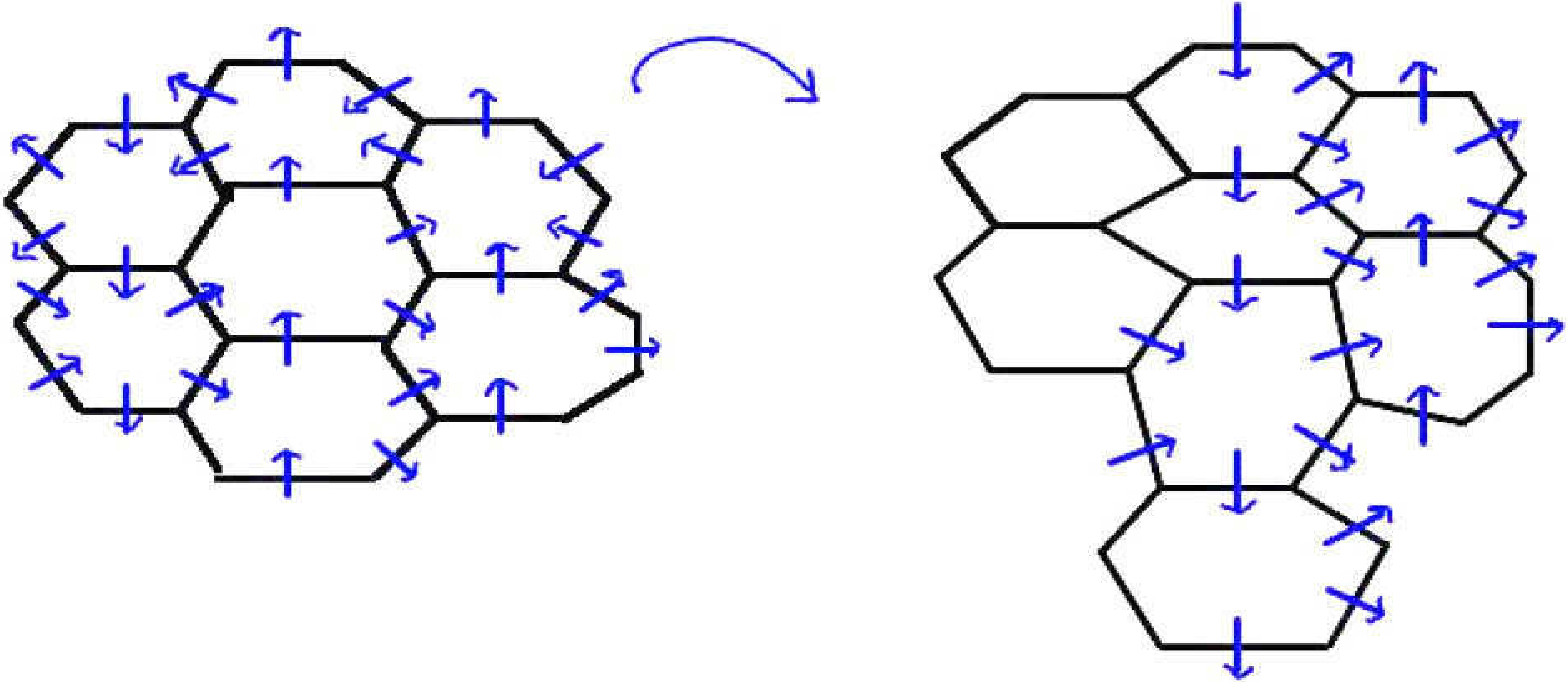
(other reason why the deg is indep of coloring?)

o.k., suppose not, suppose 2 coloring with $\neq$ degree

Then,

#1 Relate two colorings? (E.g., by rotating faces? & sliding freedom & obstruction)

#2 The degree of freedom is well defined



Not so complicated. ♡

Any two edges are connected by an outward path, because any edge is outward pointing to some face.

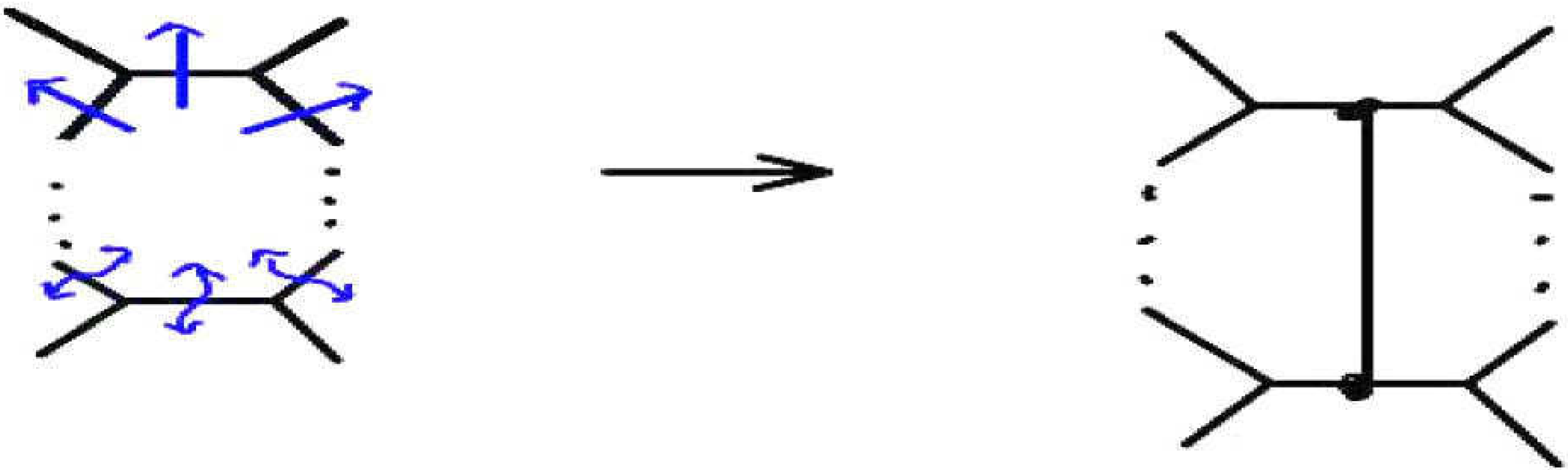
(Missing an arrow somewhere?) ♡

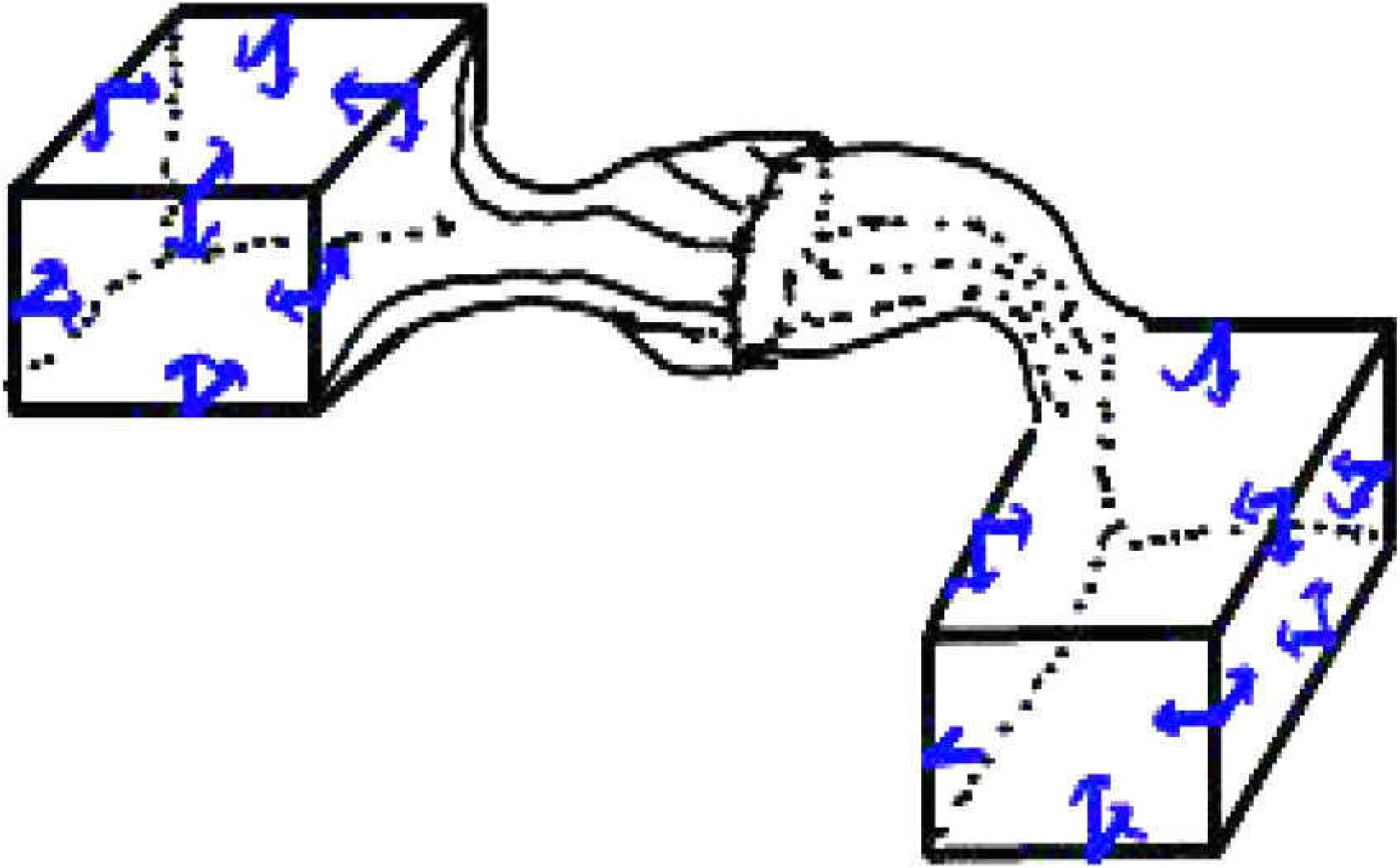
A general thing to "queue" us to eliminate lots of Cases: Given trivalent graph, can we rotate or recolor?

<u>Case 1</u>

[diagram, not imperative]

<u>Case 2, more interesting:</u>



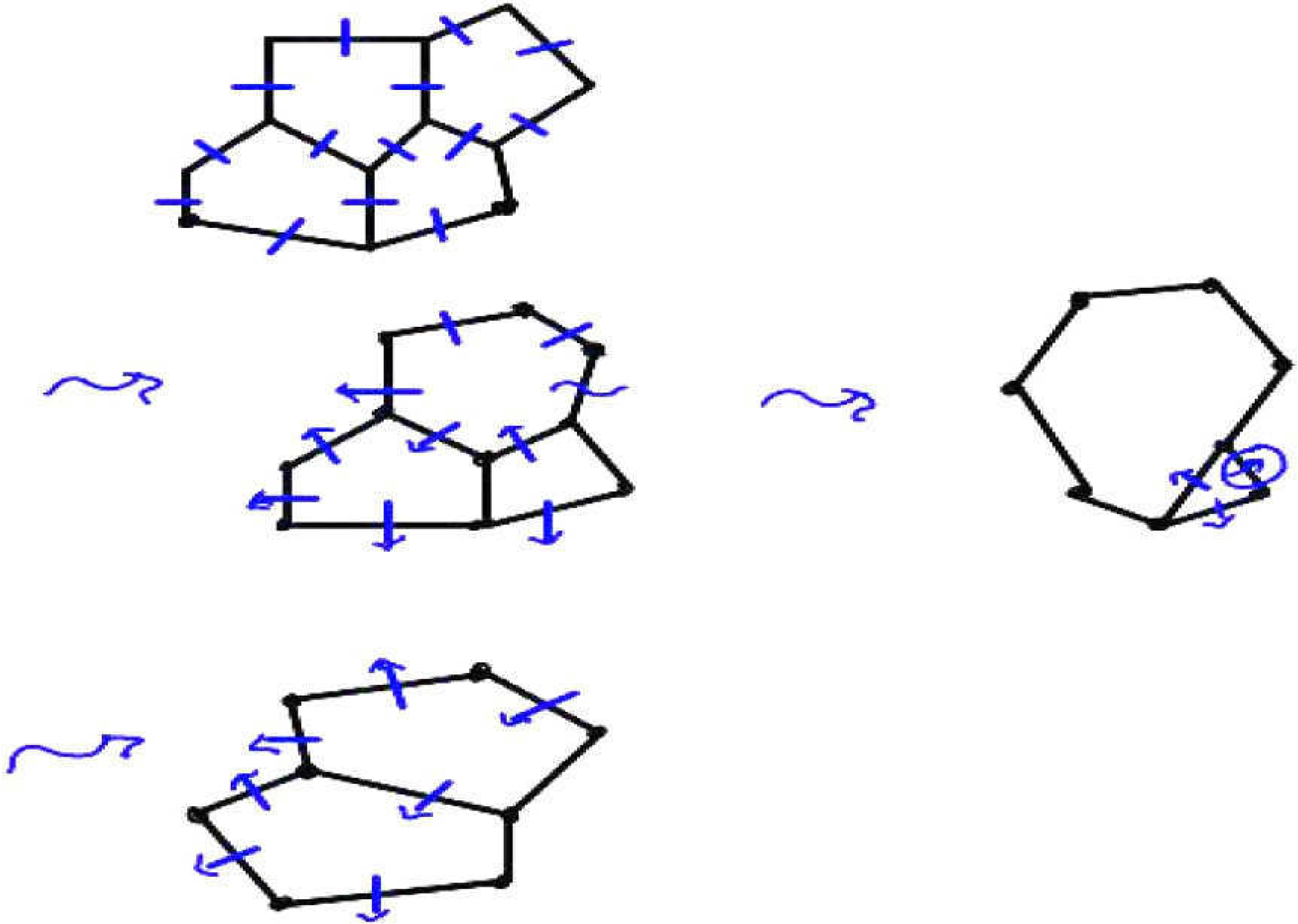


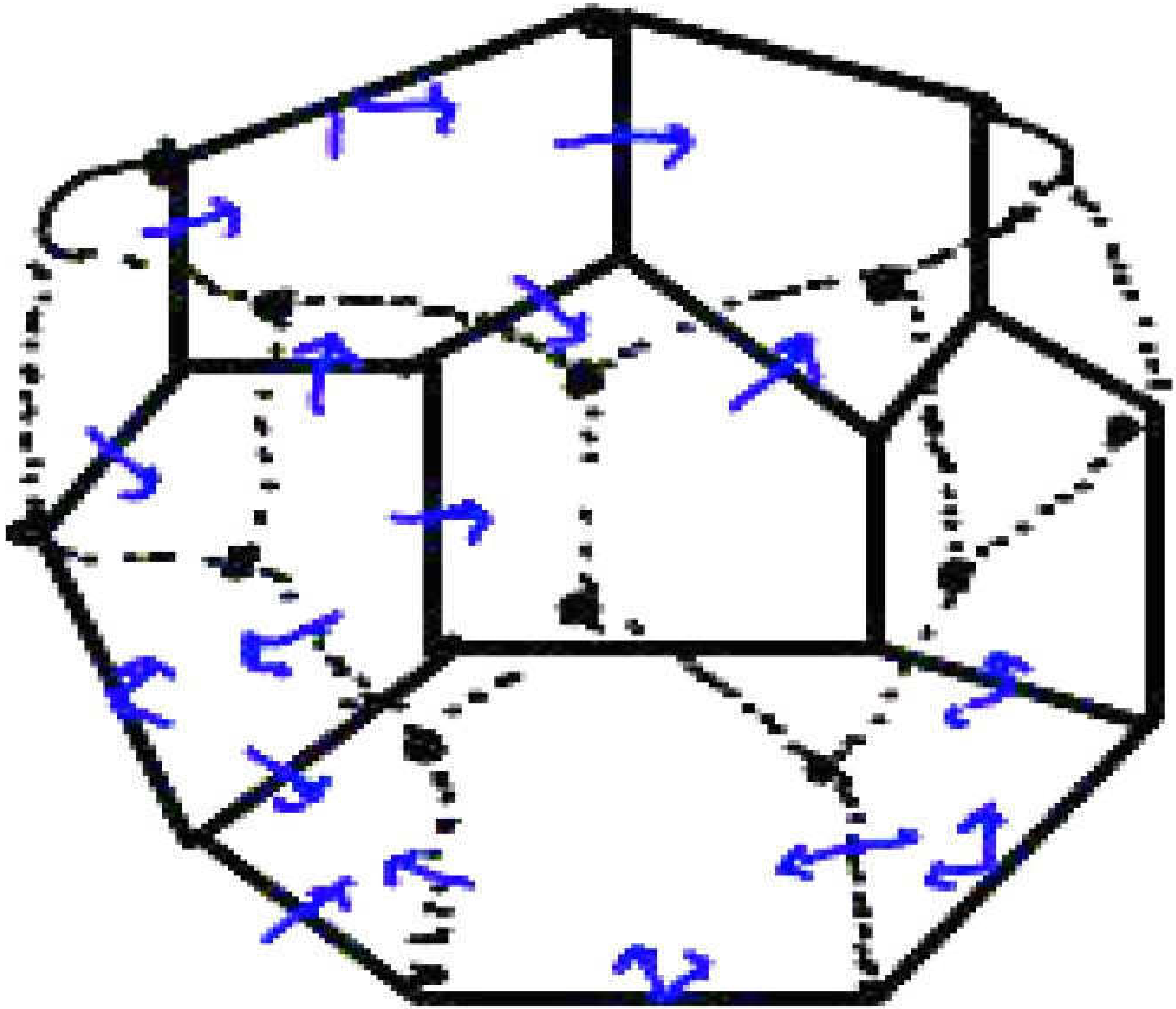
Could have anticipated 6-1 here!

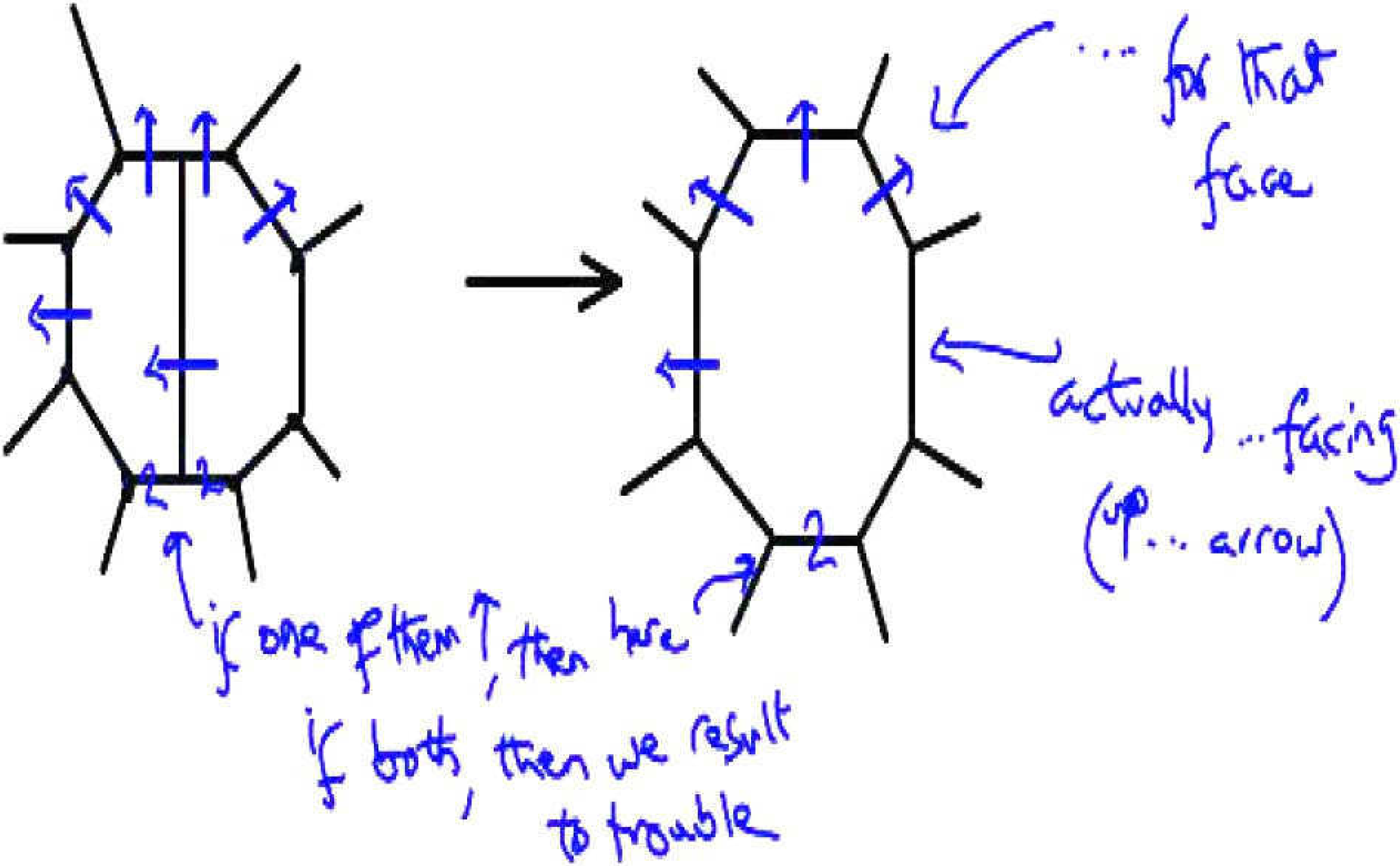
Kind of Uniformization:

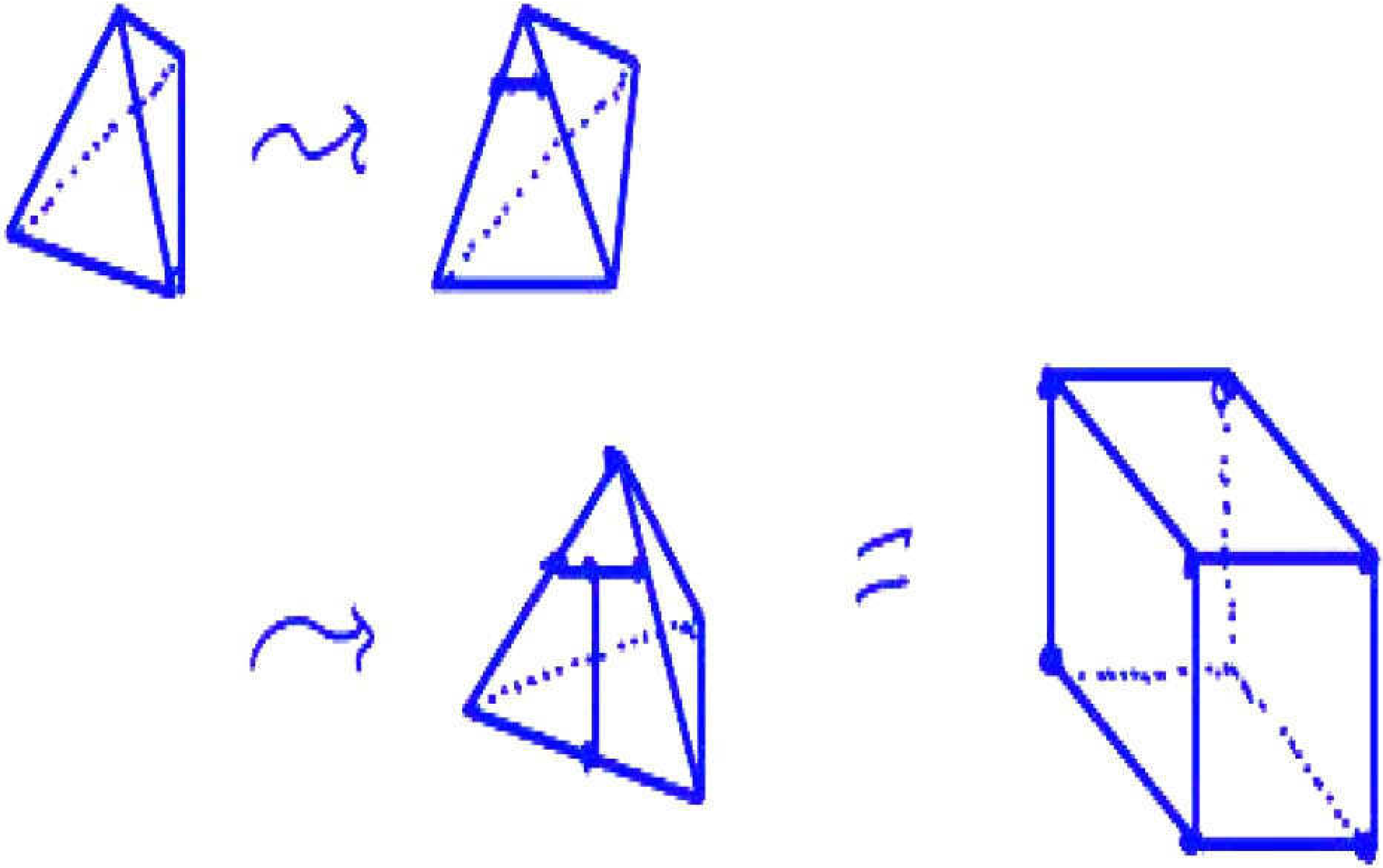
i.e., we aim to show that our hexagonal kit is optimal

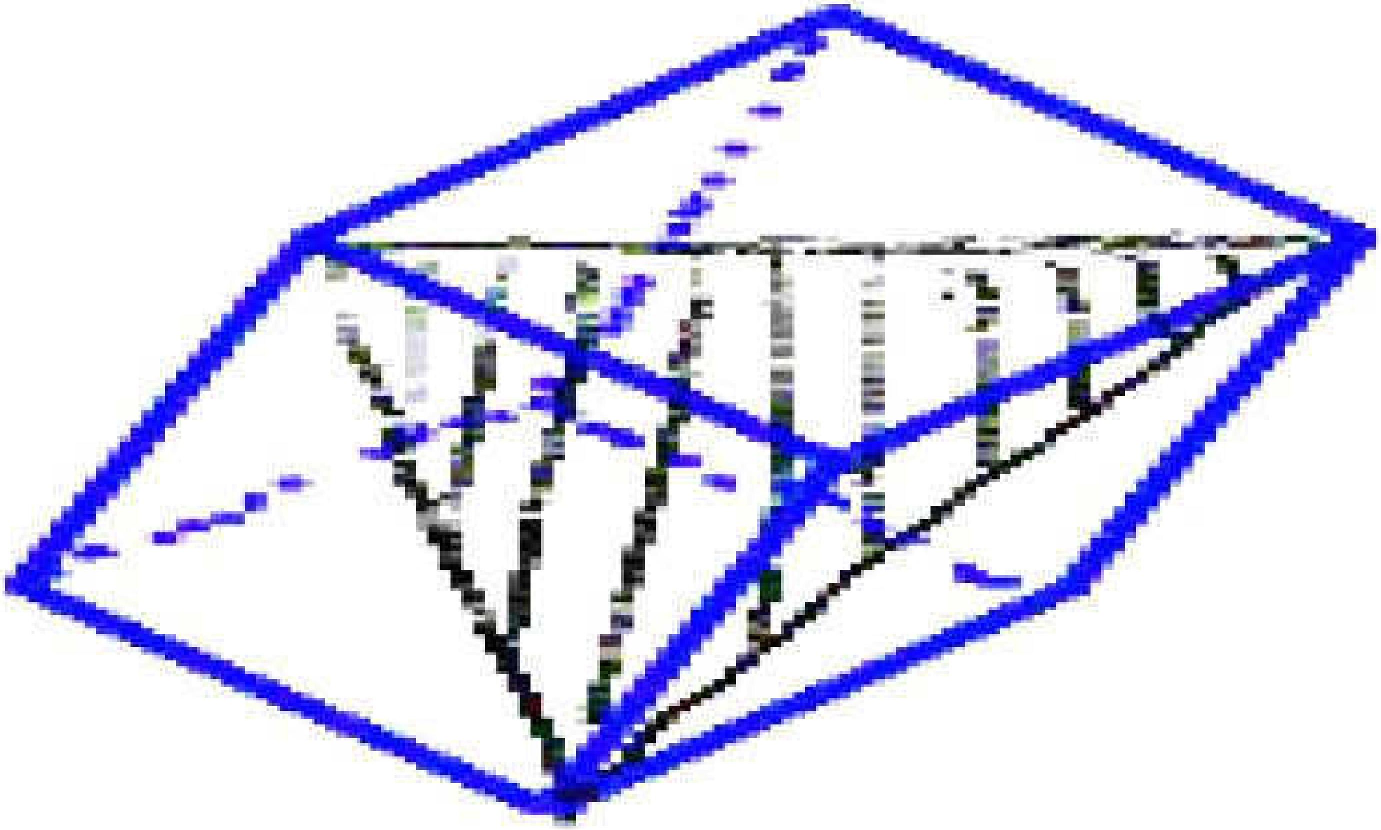
Plus: Considering two n-gons with drilled-pentagon hut, the two n-gons each passes out 3 arrows which flow on to conflicts, i.e., 6 conflicting arrows in total (as usual)






... for that face
actually ... facing (up ... arrow)
if one of them ↑, then here
if both, then we result to trouble
2
2
2

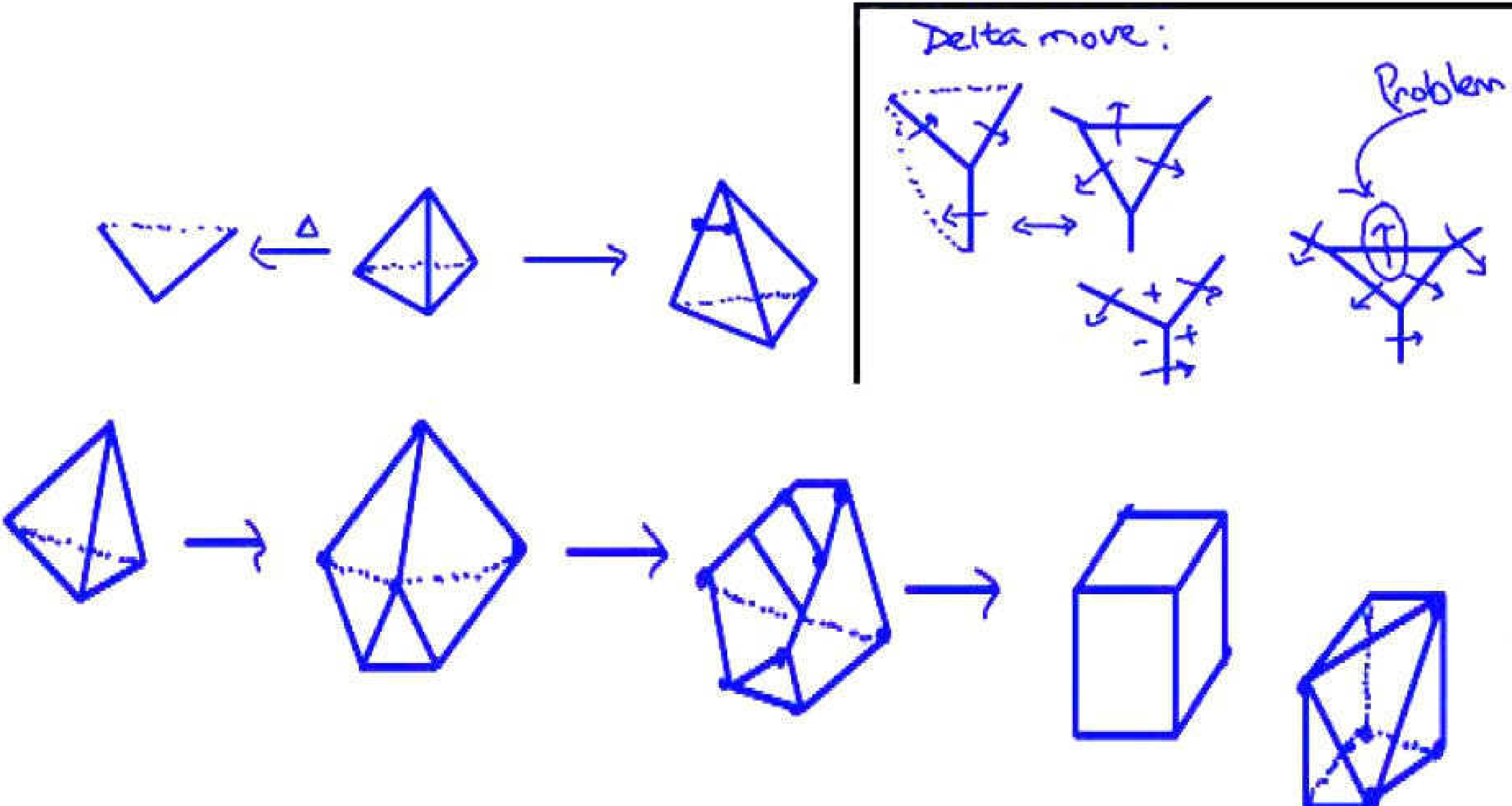




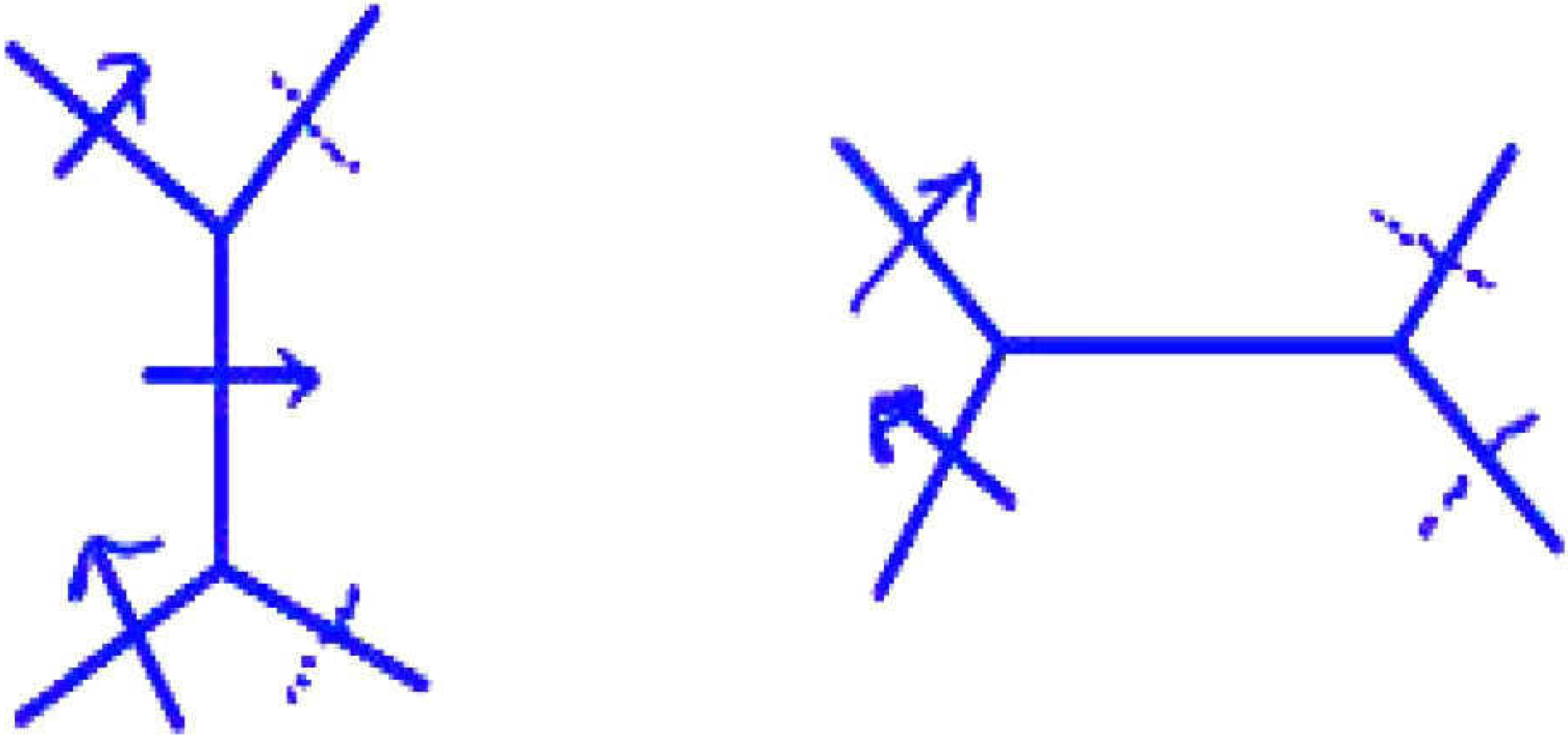
4 $\sim$Delta moves $\rightarrow$ pyramid
$+$ another $=$ triangle

- **Actually, we don't really want! B/c we don't like triangles, but we wouldn't mind.**
- **We ain't got any to make disappear, and making some is only making things worse.**

Can we get by with 2 or 3 only? (I think we can)

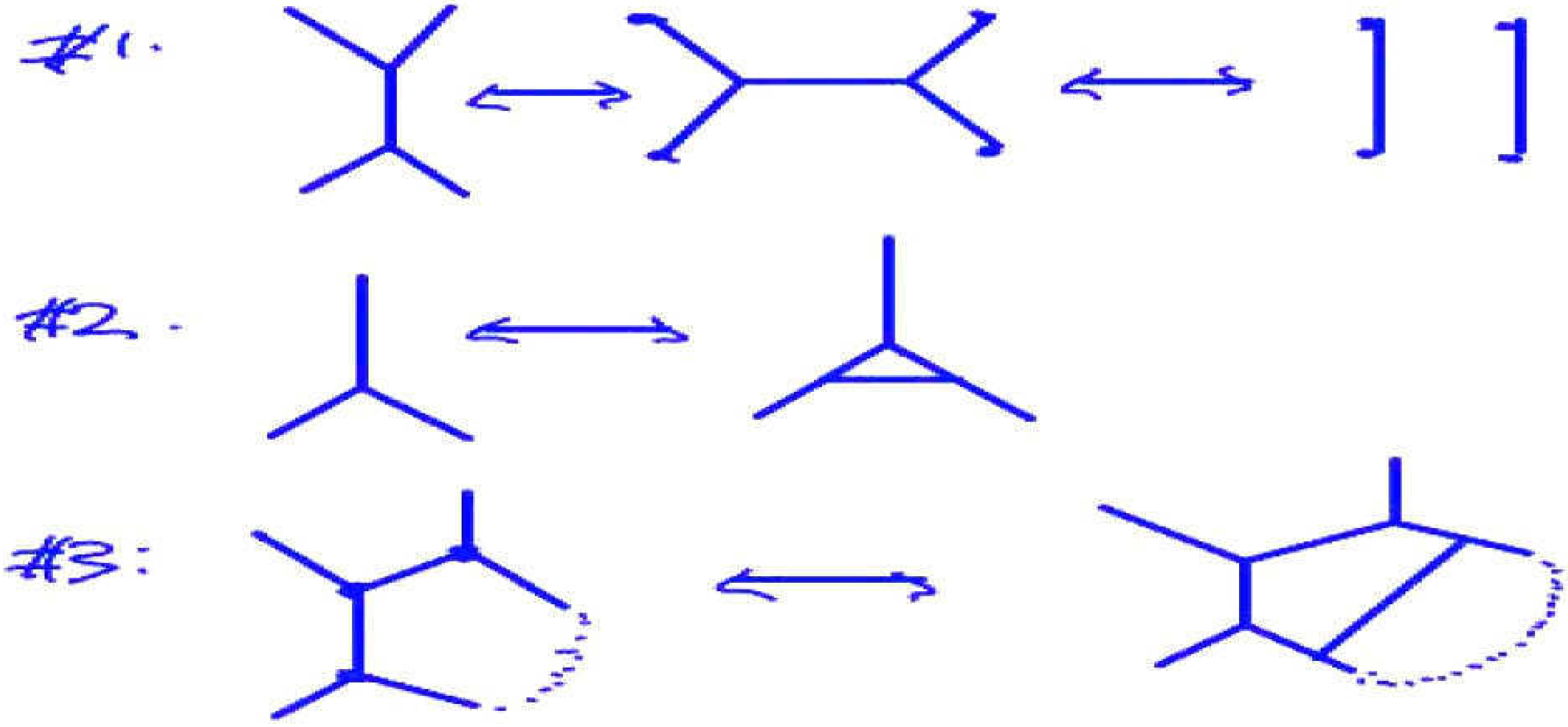


Then adjust the making of faces



Loosing an outward guy on one face, winning one on another

Genus g surface decomposition can be joined by action e.g., a (finite) sequence of the following local moves:



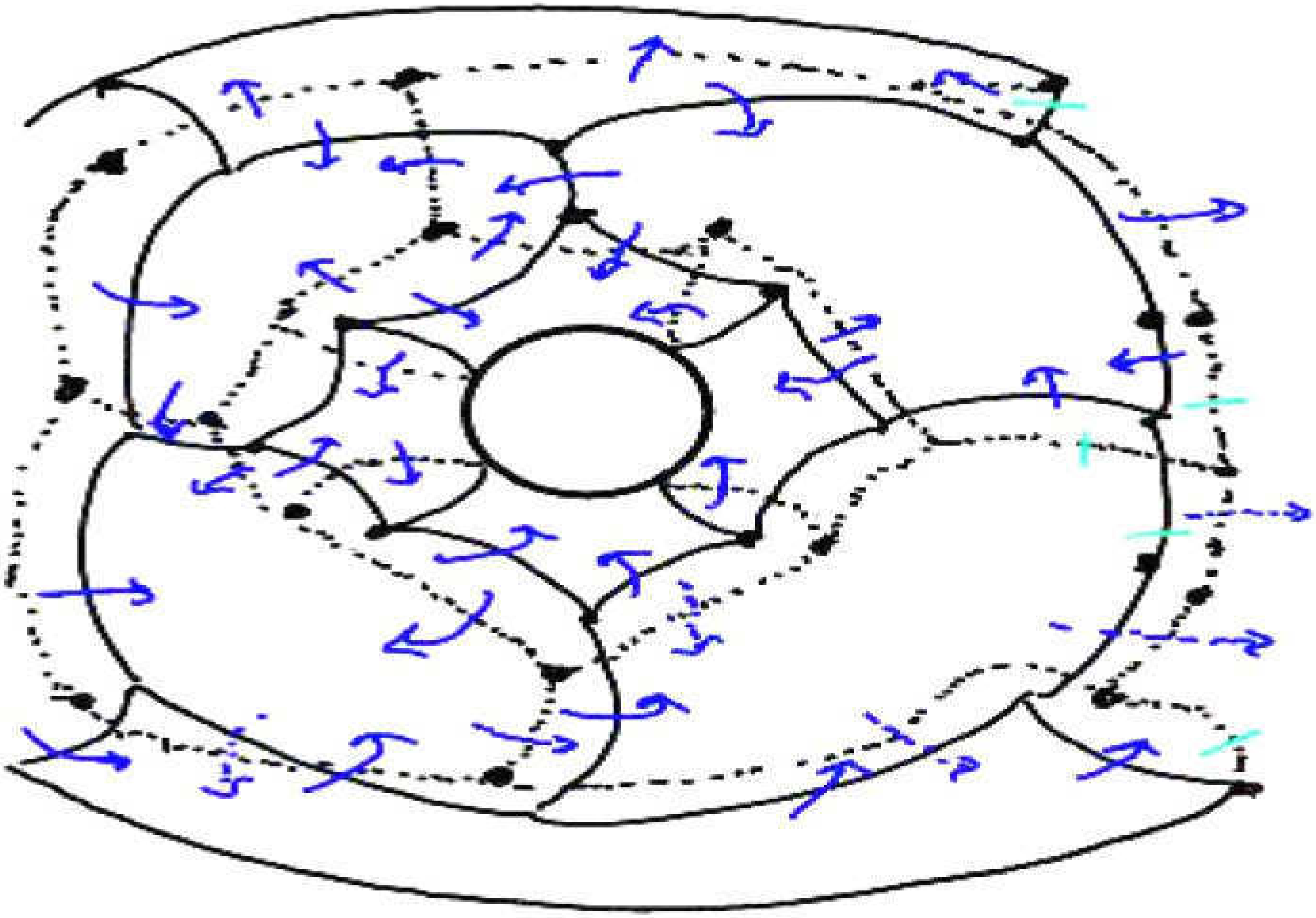
Conjecture: A trivalent genus g of diagram has 6g-6 degrees of combinatorial freedom.

NB:

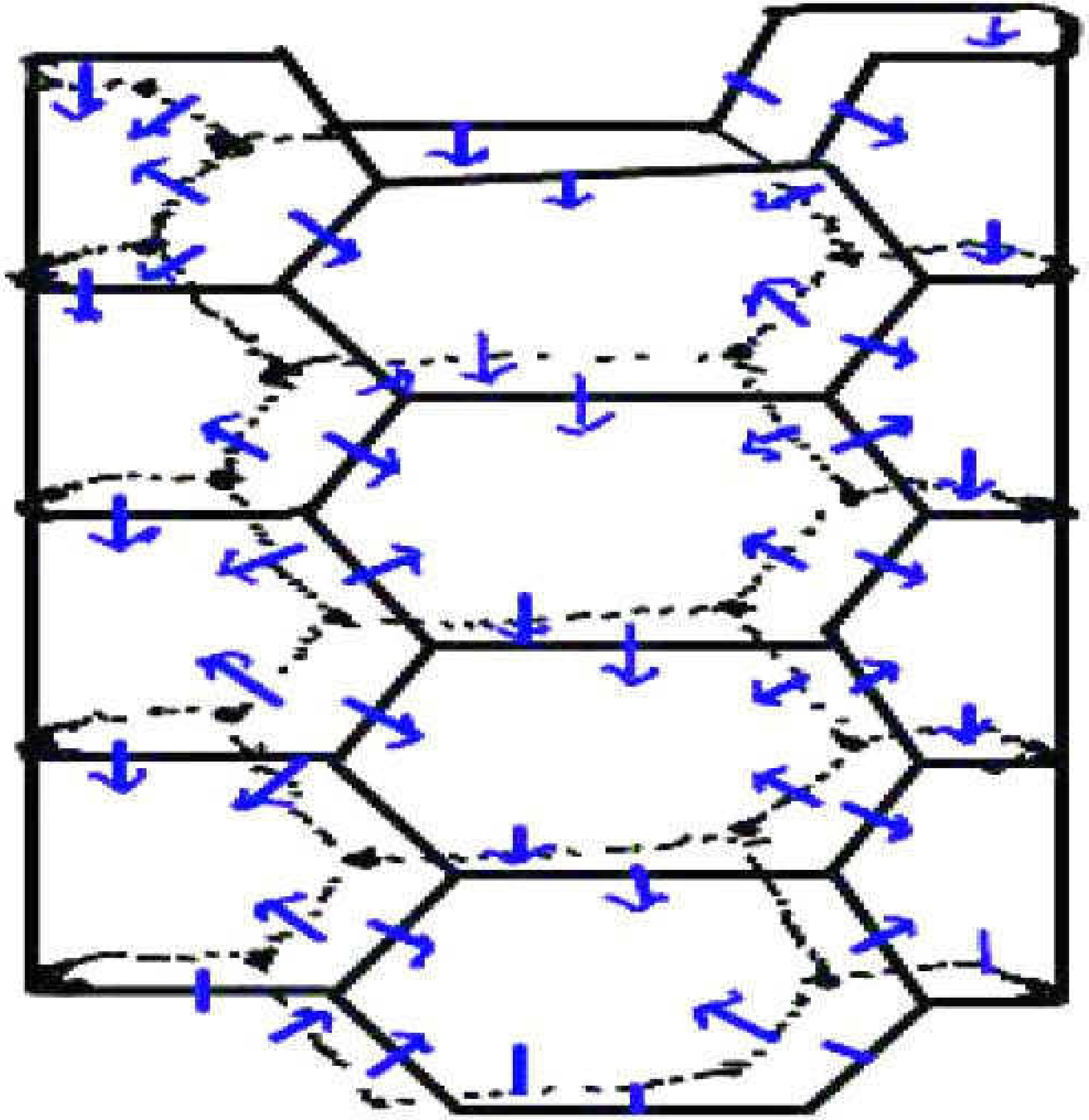
⋆ Subdividing faces (at the extreme into all triangles) we can easily get much less freedom.

⋆ Subdividing: 2 triangles correspond to making it all pyramids.

⋆ Trivalency corresponds to triangulated polyhedron. It makes sure that this is the most flexible possible b/c the faces are "broken."



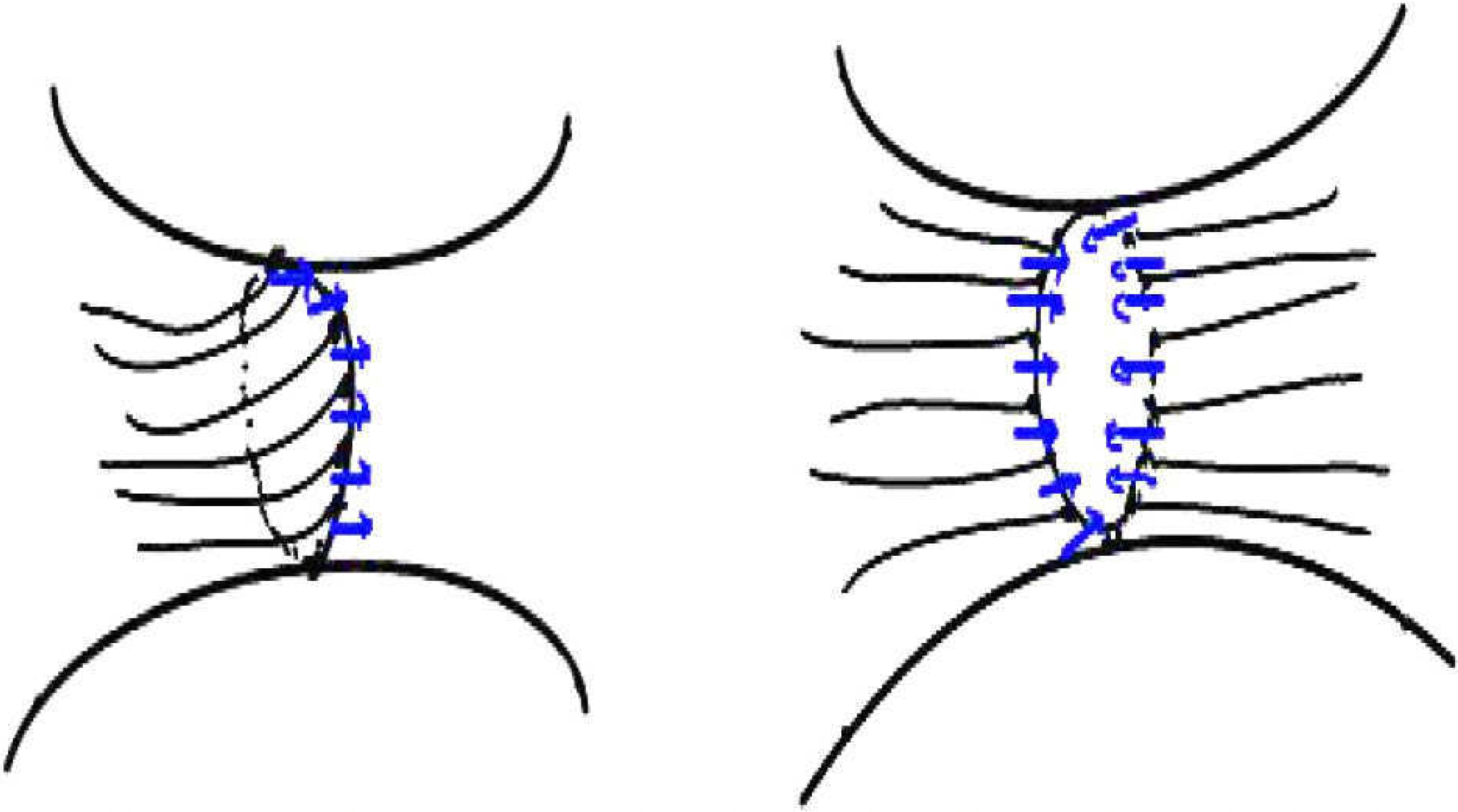
+ 6

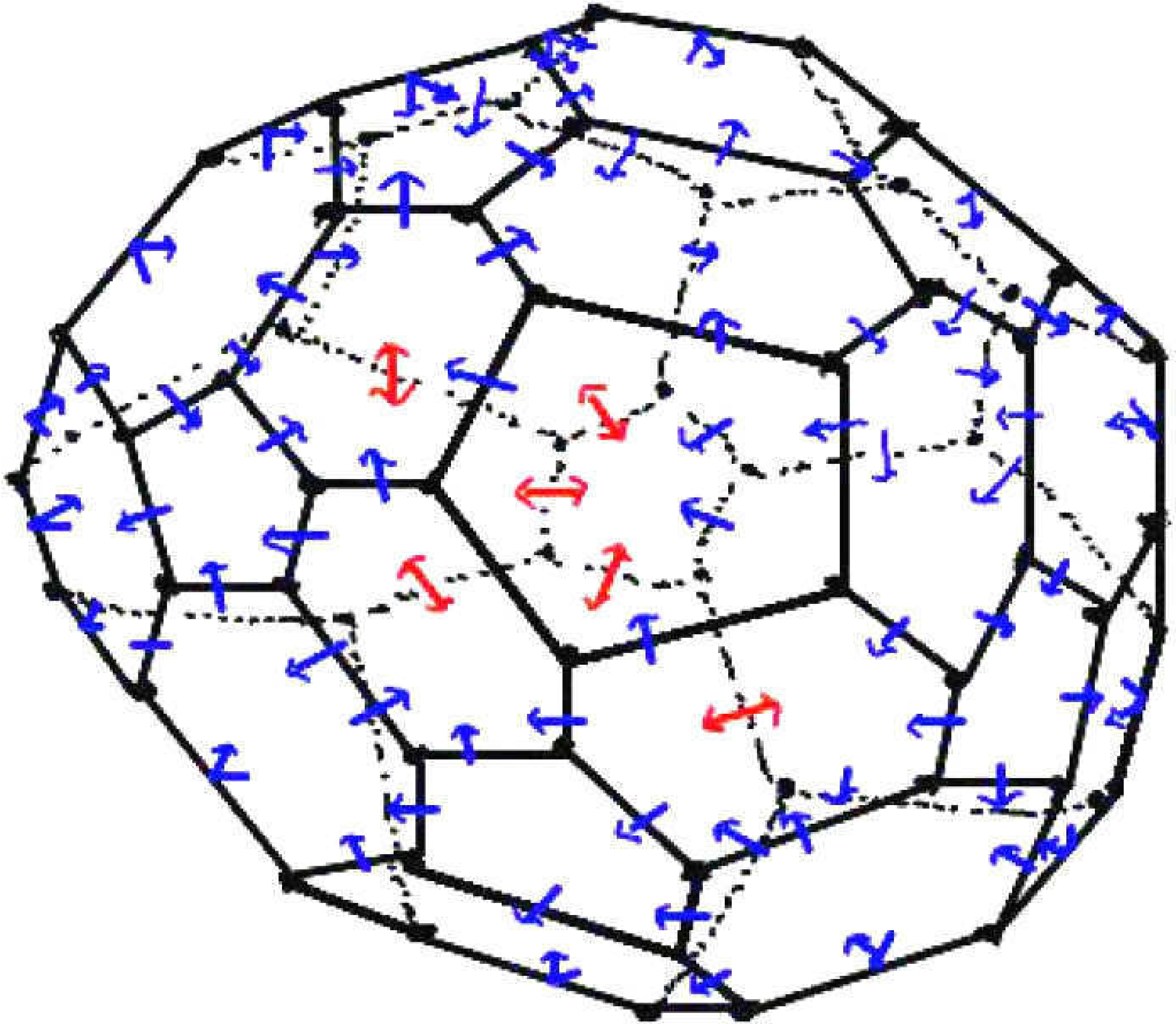
 

(analogously, a High Klein Bottle)

NB: Again if we were to cap it off, we get -6

We glue two such monsters along that face 6 degree of freedom, to make a tight diagram?





− 6

I don't know, we were a disgusting bunch of egoistic trumping Mathematical ideograms $\heartsuit$

No dim continuous in our $\longrightarrow$ **Tea Break** :-) for Path Coherence Of Thought $\heartsuit$

New algebras life

....

$\sim$ We derived some more credible necessarian primordial logics

♡ $\sim$ Some beautiful things we've been ignoring! ♡

Applications (Monstrously Forceful!)

$\sim$ IP plaques to large-calibre project. Enough said

$\sim$ It's certainly not a fanfare! ♡

May the party go on, pls!


Thank You